# The Impact of Commercial Real Estate Regulations on U.S. Output

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## Motivation.

- Several studies of US *residential* land use regulations find substantial effects on U.S. economy (Herkenhoff Ohanian Prescott 2018, Hsieh Moretti 2019)
- Commercial regulation is conceptually similar, yet little known about impact on U.S. economy
- Challenge is commercial regulation is multi-dimensional, local & allows exemptions
- Infeasible to consistently codify across cities or measure bite without model

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### This paper.

- Quantify effects of commercial regulation using CoreLogic's address-level tax valuations
- Develop GE model with commercial construction sector to estimate *address-level regulatory distortion* for all U.S. buildings

## Economic logic.

- When land is costly, substitute towards construction (build taller)
- Model infers regulatory distortion whenever valuable land has small building
- We show model distortions correlate strongly with hand-collected zoning features

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### Results.

- Moving all cities to least strict regulations in US yields 3% GDP & 1.5% CEV gain
- Highly regulated CA cities (LA, SF) benefit vs. less regulated TX cities (Dallas, Houston)
- Still large gains with 40% remote work share & doubling negative congestion externality

## General equilibrium model

- One-sector optimal growth model w/ regions (j) & commercial buildings in production
- Regions are MSAs that differ by TFP and amenities with negative congestion externality
- One region is remote work sector which does not use buildings in production

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Household: 
$$\max_{c_{t},i_{t},K_{j,t},L_{j,t}} \sum_{t=0}^{\infty} \beta^{t} \left( \frac{c_{t}^{1-\sigma}}{1-\sigma} - \frac{1}{1+\frac{1}{\eta}} \sum_{j=1}^{N} \left( \frac{L_{j,t}}{a_{j}(L_{j,t}/X_{j})} \right)^{1+\frac{1}{\eta}} \right)$$
s.t.  $c_{t} + i_{t} = \sum_{j} \left( \pi_{j,b,t} + \pi_{j,f,t} + w_{j,t}L_{j,t} + r_{k,t}K_{j,t} \right)$ 
Firm *j*: 
$$\max_{K_{j,t},L_{j,t},B_{j,t}} A_{j}L_{j,t}^{\alpha}B_{j,t}^{\chi_{j}}K_{j,t}^{1-\alpha-\chi_{j}} - w_{j,t}L_{j,t} - r_{k,t}K_{j,t} - r_{b,j,t}B_{j,t}$$
Developer *j*: 
$$\max_{m_{j,t}} p_{j,t} \cdot T_{j,t} \cdot B_{j,t}(D_{j,t}, m_{j,t}) - m_{j,t}$$

### Developer's problem.

Developer owns commercial property *i* defined by

- $x_i$ : Land square-footage
- pi: Price per-building-square-foot
- $q_i$ : Cost of construction ("improvements")  $m_i$
- $\tau_i$ : Regulatory distortion ("virtual" wedge distorts choices but no resource transfer, height limit)

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No regulation: use land & improvements  $m_i$  to create building square footage (BSF<sub>i</sub>)

$$\max_{m_i} p_i \underbrace{m_i^{\gamma} x_i^{1-\gamma}}_{BSF_i} - q_i m_i$$

FOC implies  $\gamma = \frac{q_i m_i}{p_i BSF_i}$  (marginal benefit=marginal cost)

Regulatory limits imply marginal benefit > marginal cost, attribute gap to regulations  $\tau_i$ 

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Example of a regulation: floor-area ratio limit

$$\max_{m_i} p_i \underbrace{m_i^{\gamma} x_i^{1-\gamma}}_{BSF_i} - q_i m_i$$
  
such that 
$$\frac{BSF_i}{x_i} \le \bar{H}$$

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Example of a regulation: floor-area ratio limit

 $\max_{m_i} \frac{\tau_i p_i}{m_i} \underbrace{m_i^{\gamma} x_i^{1-\gamma}}_{BSF_i} - \underbrace{q_i m_i}_{MV_i} , \quad \text{e.g. Floor Area Ratio: } \tau_i = \begin{cases} 1 & \text{if } \frac{BSF_i}{x_i} \leq \bar{H} \\ 0 & \text{otherwise} \end{cases}$ 

Assumption:  $\tau_i$  is address-level constant, to capture multi-faceted zoning

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$$\max_{m_i} \tau_i p_i \underbrace{m_i^{\gamma} x_i^{1-\gamma}}_{BSF_i} - q_i m_i$$

- FOC implies  $\tau_i \gamma = \frac{q_i m_i}{p_i BSF_i}$
- Note  $\tau_i$  distorts  $m_i^*$  but doesn't enter profit (e.g. zoning):  $\pi = \mathbf{1} \cdot \beta p_i (m_i^*)^{\gamma} x_i^{1-\gamma} q_i m_i^*$

Construction ban:  $\tau_i = 0$ 

Sandhill road



#### Menlo Park



# Interpretation of regulatory distortion $\tau_i$

Developer's problem: 
$$\max_{m_i} \tau_i p_i m_i^{\gamma} x_i^{1-\gamma} - q_i m_i$$

• What  $\tau_i$  is.

Anything that restricts building size, conditional on factor prices  $p_i$ ,  $q_i$ 

- Floor area ratios, setbacks, height limits, environmental review boards
- Non-zoning restrictions: local ordinances, deed restrictions, etc.

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## • What $\tau_i$ is **not**.

Not anything that enters building prices  $p_i$  (e.g. local building demand, property taxes) Not anything that enters construction cost  $q_i$ 

- Restrictions on building techniques (Schmitz (2020): prefab)
- Difficulty of building

Data.

- Address-level tax assessments compiled by CoreLogic
- Divides total property value into improvements & land (e.g., using replacement cost of building):

Total Value of Property (TV) = Improvement Value (MV) +Land Value (LV)

 $q_i m_i = \text{cost of structures}$ 

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- Divides total property value into improvements & land (e.g., using replacement cost of building):

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- ldentifying  $\tau$  using CoreLogic Data:
  - Model's closed-form solution for regulatory distortion ( $\tau_i$ ) depends on *improvement share*  $\frac{MV}{TV}$ :

$$au_i = F\left(rac{MV_i}{TV_i}
ight), \ F'(\cdot) > 0$$

- Low improvement share implies low  $\tau_i$ , more distorted

(e.g. small building on valuable land  $\rightarrow$  strict regulation)

- Regulatory distortion ( $\tau_i$ ) is increasing in *improvement share*  $\frac{MV_i}{TV_i}$ :

$$au_i = rac{ig(rac{1-eta(1-\delta_b)}{1-eta}rac{MV_i}{TV_i}ig)}{\gammaetaig(1+rac{\delta_b}{1-eta}rac{MV_i}{TV_i}ig)}$$

- Low improvement share implies low  $\tau_i$ , more distorted
- For example, a small building on valuable land  $\rightarrow$  strict regulation

## **Empirically Validating Model Distortions**

### Key zoning code features.

- Two prominent components of zoning codes include
  - Height limits: caps building height
  - Floor-area-ratio limits: caps building size relative to land size

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### • Comparing model distortion $(\tau)$ to data.

- Hand-collect height limits and floor-area-ratios for several cities and compare to au
- If these regulations are important, expect *positive but imperfect* correlation with au
- Model  $\tau$  includes non-zoning features (*deed restrictions*), & zoning exemptions (*variances*)

# Comparing $\tau$ to actual zoning codes

1. Distortions align with hand-collected floor-area-ratios (FARs) in NYC



# Comparing $\tau$ to actual zoning codes

- 1. Distortions align with hand-collected floor-area-ratios (FARs) in NYC
- 2. And hand-collected height limits in DC





- Aggregate address-level (i) distortions to city-level (j) for policy reforms
- Aggregation has average  $\tau_i$  component  $(T_i)$  & dispersion in  $\tau_i$  component  $(D_i)$

 $\max_{m_j} p_j \cdot T_j \cdot BSF_j(D_j, m_j) - m_j$ 



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$$\max_{m_j} p_j \cdot T_j \cdot BSF_j(D_j, m_j) - m_j$$
$$T_j = \frac{\sum_{i \in j} MV_i}{\sum_{i \in j} MV_i / \tau_i}$$

- Reflects average city-wide distortion
- Takes value  $\overline{\tau}$  if all  $\tau_i = \overline{\tau}$
- Focus of counterfactuals

# Aggregation

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 $\max_{m_j} p_j \cdot T_j \cdot BSF_j(D_j, m_j) - m_j$  $T_j = \frac{\sum_{i \in j} MV_i}{\sum_{i \in j} MV_i / \tau_i} \qquad D_j = \left(\frac{\sum_{i \in j} MV_i / \tau_i}{\sum_{i \in j} MV_i / \tau_i^{\frac{1}{1-\gamma}}}\right) / \left(\frac{\sum_{i \in j} MV_i}{\sum_{i \in j} MV_i / \tau_i^{\frac{1}{1-\gamma}}}\right)^{\gamma}$ 

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- **•** Reflects  $\tau_i$  **dispersion** within city
- Part regulation, part measurement error
- ► Hold <u>fixed</u> today [paper alters D<sub>j</sub>]

## Which cities are most and least regulated?

Major California cities (LA, SF) more regulated than Texas (Dallas, Houston)



## Which cities are most and least regulated?

- Major California cities (LA, SF) more regulated than Texas (Dallas, Houston)
- Least-regulated city is Midland TX; developers in strict zoned cities build 20% less, c.p.

	Name	$T_j$
	Average regulatory distortion	0.85
Least Regulated City:	Midland, TX ("The Tall City")	1 (Normalized)
	San Diego	0.79
	San Jose	0.80
Major MSAs:	Miami	0.80
	New York	0.86
	Chicago	0.88
	Phoenix	0.89

## Counterfactuals

Baseline: All distortions T<sub>i</sub> set to loosest U.S. level (Midland, TX), fix dispersion D<sub>i</sub>

- More buildings drive output gain, & **Developer profits fall** suggesting  $\tau$  reflects rent-seeking
- Results robust to three available divisions of MV and LV, doubling or removing congestion

% $\Delta$ from 2018 steady state	Baseline
Output	3.0%
Employment	-0.8%
Building Stock	17%
Developer Profits	-2.8%
Output, holding building allocation fixed	0.2%
Consumption Equivalent Gain	1.6%

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- ► 40% remote work: Output gains scale down linearly with remote work

% $\Delta$ from 2018 steady state	Baseline	Remote Work	
Output	3.0%	1.5%	
Employment	-0.8%	-0.8%	
Building Stock	17%	19%	
Developer Profits	-2.8%	-1.1%	
Output, holding building allocation fixed	0.2%	-0.4%	
Consumption Equivalent Gain	1.6%	0.8%	

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  - Results robust to three available divisions of MV and LV, doubling or removing congestion
- ► 40% remote work: Output gains scale down linearly with remote work
- Only use young buildings < 10 years old: similar gains, avoids outdated regulations</p>

% $\Delta$ from 2018 steady state	Baseline	Remote Work	New Buildings
Output	3.0%	1.5%	1.4%
Employment	-0.8%	-0.8%	-0.3%
Building Stock	17%	19%	8.4%
Developer Profits	-2.8%	-1.1%	-1.5%
Output, holding building allocation fixed	0.2%	-0.4%	0.1%
Consumption Equivalent Gain	1.6%	0.8%	0.8%

## Baseline deregulation: Change in labor relative to 2018 steady state





- People leave already-deregulated Texas and South
- ► Largest population gain in major metro (LA) < 2.5%

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Least regulated



Babalievsky, Herkenhoff, Ohanian, Prescott



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heteluner tec

Most regulated




## Local Deregulation: Relax Floor Area Ratio (FAR) in NYC

- Project model distortions onto **actual** floor area ratios (FAR):  $\log \tau_z = \rho \log(FAR_z) + \epsilon_z$
- Then compute distortions if FAR set to loosest value

heteluner tee

Most regulated







#### Contributions:

- Develop spatial model of commercial land use regulations
- Identify distortions for each commercial property
- Validate against hand-collected zoning code features
- Moving all cities to least stringent regulations in U.S. yields large welfare/output gains

#### In progress:

Quantifying impact of regulations on low income households and homelessness

### Thank you!

## Parcel *i* Developer's Problem

- Parcel i defined by
  - $x_i$ : Land square-footage
  - *p<sub>i</sub>*: Price per building square-foot (e.g. distance to interstate)
  - *q<sub>i</sub>*: Improvement cost (e.g. bedrock vs. mud)
  - $\tau_i$ : Regulatory distortion (virtual wedge  $\rightarrow$  does not result in payment/transfer of resources)
- Rent building, buildings depreciate fully at rate  $\delta_b$  ("one-hoss-shay")
- If building depreciates, rebuild by investing in improvements  $m_{i,t}$  subject to zoning  $\tau_i$ :

$$\max_{m_{i,t}} \tau_i p_i \underbrace{m_i^{\gamma} x_i^{1-\gamma}}_{BSF_{i,t}} - \underbrace{q_i m_{i,t}}_{MV_{i,t}}$$

e.g. FAR:  $\tau_i = \begin{cases} 1 & \text{if } BSF_i/x_i \leq \overline{H} \\ 0 & \text{otherwise} \end{cases} \rightarrow \tau_i \text{ parcel-level constant to capture multi-faceted zoning}$ 

►  $\tau_i$  distorts  $m_i^*$ , but no  $\tau_i$  in profits:  $1 \cdot \beta p_i m_i^{*\gamma} x_i^{1-\gamma} - q_i m_i^*$  [ $\approx$ Lagrange multiplier]

## CoreLogic Dataset

#### Overview

Address-level (Parcel-level) commercial tax assessor data, 2009-2018

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- Parcel i data includes:
  - > 3 divisions of total value into *improvements* (cost of materials/labor) & land

Total Value of Property  $(TV_i)$  = Improvement Value  $(MV_i)$  + Land Value  $(LV_i)$ 

- Land square footage x<sub>i</sub>
- Alphanumeric zoning codes ("C8", "M5") that reflect local regulations
- Building square footage BSF<sub>i</sub> for subset of properties & age a<sub>i</sub>

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### Challenge

- Map local regulations into quantitative measure of distortions
- Our approach: write down builder's problem for parcel i to structurally identify distortions
- Model regulatory distortions as a wedge in the builder's problem

Sample Selection

### Robustness

- We crucially rely on Corelogic's split of property value into land and improvements:

TotalValue(TV) = LandValue(LV) + ImprovementValue(IV)

- Our dataset includes 3 methods: assessed, market, CoreLogic calculated
- Each valuation relies on different methods
  - Replacement cost method often used to value structures
  - Land values based on vacant lots of redevelopments
- Our baseline output gain under each of these three methods are remarkably similar

Valuation method:	Assessed	Market	CoreLogic Calculated ( <i>Benchmark</i> )
Output gain from Midland, TX zoning	+2.9%	+3.2%	+3.0%

#### Developer's problem.

Developer owns commercial property *i* in region (city) *j* defined by

- $x_i$ : Land square-footage
- z<sub>i</sub>: Efficiency of building square-feet
- *p<sub>j</sub>*: City *j* building price
- $q_i$ : Cost of construction ("improvements")  $m_i$
- $\tau_i$ : Regulatory distortion (modeled as a wedge)

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• "One-hoss shay" depreciation rate  $\delta_b$ , developer then uses  $m_i$  to build new structure

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- $\tau_i$  is wedge between unconstrained marginal product of improvements  $m_i$  & marginal cost
- FOC implies  $\tau_i = \frac{q_i m_i}{\gamma \beta \rho_j z_i BSF_i}$

## Interpretation of regulatory distortion $\tau_i$

Developer's problem: 
$$\max_{m_i} \tau_i \beta p_j z_i \underbrace{m_i^{\gamma} x_i^{1-\gamma}}_{BSF_i} - q_i m_i$$

#### • What $\tau_i$ is.

Anything that restricts building size, conditional on factor prices  $p_i$ ,  $q_i$ 

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- Non-zoning restrictions: local ordinances, deed restrictions, etc.

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Not anything that enters building prices  $p_j$  (e.g. local building demand) Not anything that enters construction cost  $q_i$ 

- Restrictions on building techniques (Schmitz (2020): prefab)
- Difficulty of building

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$$\max_{m_i} \tau_i \beta p_j z_i \underbrace{m_i^{\gamma} x_i^{1-\gamma}}_{BSF_i} - q_i m_i \rightarrow \text{FOC: } \tau_i = \frac{q_i m_i}{\gamma \beta p_j z_i BSF_i}$$

- Numerator of  $\tau_i$  is improvement value (cost of structures),  $MV_i = q_i m_i$ , observed in CL
- Challenge is building square feet  $(BSF_i)$  not observed for all parcels,  $z_i$  unobserved

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- Proceed by defining denominator of  $\tau_i$  as building value,  $BV_i = p_i z_i BSF_i$
- Model then relates  $BV_i$  to observed total  $(TV_i)$  & improvement value  $(MV_i)$
- This insight allows us to identify  $\tau_i$  for all buildings in U.S.

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- After building depreciates, developer builds new structure implying SS total value:

$$TV_i = rac{1-eta(1-\delta_b)}{1-eta}BV_i - \delta_brac{MV_i}{1-eta}$$

Developer's problem: 
$$\max_{m_i} \tau_i \beta p_j z_i \underbrace{m_i^{\gamma} x_i^{1-\gamma}}_{BSF_i} - q_i m_i \rightarrow \text{FOC:} \tau_i = \frac{q_i m_i}{\gamma \beta BV_i}$$

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- Solve for building value  $BV_i = g(TV_i, MV_i)$  & substitute into denominator of  $\tau_i$
- Closed-form regulatory distortion ( $\tau_i$ ) depends on *improvement share*  $\frac{MV_i}{TV_i}$ :

$$au_i = F\left(rac{MV_i}{TV_i}
ight), \ F'(\cdot) > 0$$

- Regulatory distortion ( $\tau_i$ ) is increasing in *improvement share*  $\frac{MV_i}{TV_i}$ :

$$au_i = rac{ig(rac{1-eta(1-\delta_b)}{1-eta}rac{MV_i}{TV_i}ig)}{\gammaetaig(1+rac{\delta_b}{1-eta}rac{MV_i}{TV_i}ig)}$$

- Low improvement share implies low  $\tau_i$ , more distorted
- For example, a small building on valuable land  $\rightarrow$  strict regulation



- Aggregate address-level (i) distortions to city-level (j) for policy reforms
- Aggregation has average  $\tau_i$  component  $(T_i)$  & dispersion in  $\tau_i$  component  $(D_i)$

 $\max_{m_j} p_j \cdot T_j \cdot BSF_j(\frac{D_j}{D_j}, m_j) - m_j$ 



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$$T_j = \frac{\sum_{i \in j} MV_i}{\sum_{i \in j} MV_i / \tau_i}$$

- Reflects average city-wide distortion
- $\blacktriangleright$   $T_i = \overline{\tau}$  if common  $\tau_i = \overline{\tau}$

-

Focus of counterfactuals

## Aggregation

- Aggregate address-level (i) distortions to city-level (j) for policy reforms
- Aggregation has average  $\tau_i$  component  $(T_j)$  & dispersion in  $\tau_i$  component  $(D_j)$

 $\max_{m_j} p_j \cdot T_j \cdot BSF_j(D_j, m_j) - m_j$  $T_j = \frac{\sum_{i \in j} MV_i}{\sum_{i \in j} MV_i / \tau_i} \qquad D_j = \left(\frac{\sum_{i \in j} MV_i / \tau_i}{\sum_{i \in j} MV_i / \tau_i^{\frac{1}{1-\gamma}}}\right) / \left(\frac{\sum_{i \in j} MV_i}{\sum_{i \in j} MV_i / \tau_i^{\frac{1}{1-\gamma}}}\right)^{\gamma}$ 

- Reflects average city-wide distortion
- $T_j = \overline{\tau} \text{ if common } \tau_i = \overline{\tau}$
- Focus of counterfactuals

- Reflects  $\tau_i$  dispersion within city
- Part regulation, part noise
- ► Hold <u>fixed</u> today [paper alters D<sub>j</sub>]

- **Challenge:** improvement exponent  $\gamma$  always multiplies distortion
  - At parcel-level, recover *product* of  $\tau_i \cdot \gamma$
  - At city-level, recover *product* of  $T_i \cdot \gamma$

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- Solution: Treat city with the highest  $T_j \cdot \gamma$  as a "deregulated benchmark" where  $T_j=1$ 
  - Recover *lower bound* for  $\gamma$  (i.e.  $T_j < 1$  implies a higher  $\gamma$ )

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• Given 
$$\gamma$$
 recover  $\tau_i = \frac{MV_i}{\gamma\beta BV_i}$  at parcel level

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• Given 
$$\gamma$$
 recover  $\tau_i = \frac{MV_i}{\gamma\beta BV_i}$  at parcel level  $\rightarrow$  next, many litmus tests of  $\tau_i \& T_j$ 

#### ► Keep Parcels Where:

- $\blacktriangleright$  *MV<sub>i</sub>*, *TV<sub>i</sub>*, and *x<sub>i</sub>* all recorded
- $MV_i / TV_i \in (0.01, 0.99)$
- Outcome of Filtering:
  - End up with parcels worth 72% of aggregate TV<sub>i</sub>

- Distortion: Anything that causes a landlord to build less than they want to, conditional on factor prices
  - Floor Area Ratios
  - Setbacks
  - Height limits
  - Environmental review boards
  - Threat of lawsuits
- Regulatory "tax": Any cost that doesn't act as a building improvement
  - Payments for local improvements (sewers, schools)
  - Litigation

- Prices: Anything that enters  $z_i$  or  $r_{b,j,t}$ 
  - Restrictions on what you can build (factories vs office towers)
  - Property taxes
- **Costs:** Anything that enters  $q_i$ 
  - Restrictions on building techniques (Schmitz (2020): prefab)
  - Difficulty of building (bedrock)

### Household Problem

- ▶ Chooses labor  $L_{j,t}$  and capital  $K_{j,t}$  across cities  $j \in J$ , capital investment  $i_{k,t}$
- Earns wages  $w_{j,t}$ , rents  $r_{k,t}$ , and profits from final-good firms  $\pi_{j,f,t}$  and landlords  $\pi_{j,b,t}$
- Maximizes utility:

$$\max_{c_t, i_{k,j,t}, L_{j,t}} \sum_{t=0}^{\infty} \beta^t \left( \frac{c_t^{1-\sigma}}{1-\sigma} - \frac{1}{1+\frac{1}{\eta}} \sum_j \left( \frac{L_{j,t}}{a_j(L_{j,t}, X_{j,t})} \right)^{1+\frac{1}{\eta}} \right)$$

subject to:

$$c_t + i_{k,t} = \sum_j \left( \pi_{j,b,t} + \pi_{j,f,t} + w_{j,t} L_{j,t} + r_{k,t} K_{j,t} \right)$$
$$K_{t+1} = i_{k,t} + (1 - \delta_k) K_t$$
$$K_t = \sum_j K_{j,t}$$

- Combine labor  $L_j$ , buildings  $B_j$ , capital  $K_j$  at city level to produce final good
- > Pay a national rental rate for capital  $r_k$  and city-specific wages  $w_j$  and building rents  $r_{b,j}$

$$\pi_{j,f} = \max_{K_{j,t}, L_{j,t}, B_{j,t}} \underbrace{A_j L_{j,t}^{\alpha} B_{j,t}^{\chi_j} K_{j,t}^{1-\alpha-\chi_j}}_{Y_{j,t}} - w_{j,t} L_{j,t} - r_{k,j,t} K_{j,t} - r_{b,j,t} B_{j,t}$$

Building share  $\chi_j = 0$  in remote work "region" and constant elsewhere

## Identifying Improvement Share $\gamma$ and Zoning Distortions

- CoreLogic: total value  $TV_i$ , improvement value  $MV_i$ , building age  $\Rightarrow \delta_b$ , and  $\beta = \frac{1}{1+r}$ 
  - Can recover improvement share  $\gamma$  multiplied by zoning distortion  $T_j$ ....
  - ▶ ... but cannot separate returns to scale  $\gamma$  and distortion  $T_i$  without more assumptions
  - Intuition: low T<sub>j</sub> lowers improvements, pushes MV / TV away from optimum implied by improvement share
- Our approach:
  - Treat city with the highest  $T_j \gamma$  (Midland TX) as a "deregulated benchmark" Details
  - Assume undistorted developer's problem in that city, thus T<sub>i</sub>=1
  - Recover conservative lower bound for  $\gamma$  (i.e.  $T_j < 1$  implies a higher  $\gamma$ )

#### Identifying Parcel Distortions:

• Can use  $T_j$ ,  $\gamma$ , and parcel-level MV, TV to get  $\tau_i$ 

## Identification of $\gamma$ : Part 1

Steady state: landlord will expend same MV each time building falls

$$V_f(\tau, z, q, x) = \beta V(B, \tau, z, q, x) - \underbrace{qm}_{MV}$$

TV is therefore NPV of payments minus NPV of costs

$$TV = \frac{r_{b,j}B}{1-\beta} - \frac{\delta_b qm}{1-\beta}$$

BV is NPV of payments to building before it depreciates:

$$BV = \frac{r_{b,j}B}{1 - \beta(1 - \delta_b)}$$

► MV:

$$MV = \beta \gamma \tau BV$$

## Identification of $\gamma$ : Part 2

Combine to get:

$$TV = \frac{r_{b,j}B}{1-\beta} - \frac{\delta_b MV}{1-\beta}$$
$$BV = \frac{r_{b,j}B}{1-\beta(1-\delta_b)}$$
$$TV = \left(\frac{1-\beta(1-\delta_b) - \delta_b\beta\gamma\tau}{1-\beta}\right)\frac{MV}{\tau\beta\gamma}$$
$$\gamma\tau = \frac{\left(\frac{1-\beta(1-\delta_b)}{1-\beta}\right)\frac{MV}{TV}}{\left(\beta + \frac{\delta_b\beta}{1-\beta}\frac{MV}{TV}\right)}$$

Τ
# Identification of $\gamma$ : Part 3

• Use  $C_i \propto MV_i / \tau_i^{\frac{1}{1-\gamma}}$  and get:

Т

$$T_{j} = \frac{\sum_{i \in j} MV_{i}}{\sum_{i \in j} MV_{i} / \tau_{i}}$$
$$\frac{\sum_{i \in j} MV_{i}}{\sum_{i \in j} MV_{i}\gamma(\beta + \frac{\delta_{b}\beta}{1-\beta}\frac{MV_{i}}{TV_{i}}) / \left(\left(\frac{1-\beta(1-\delta_{b})}{1-\beta}\right)\frac{MV_{i}}{TV_{i}}\right)}$$
$$= \frac{\left(\frac{1-\beta(1-\delta_{b})}{1-\beta}\right)\sum_{i \in j} MV_{i}}{\beta\gamma\left(\sum_{i \in j} TV_{i} + \frac{\delta_{b}}{1-\beta}\sum_{i \in j} MV_{i}\right)}$$

$$T_{j} = T_{j} \frac{\sum_{i \in j} TV}{\sum_{i \in j} TV} = \frac{\left(\frac{1 - \beta(1 - \delta_{b})}{1 - \beta}\right) \sum_{i \in j} MV}{\beta \gamma \left(\sum_{i \in j} TV + \frac{\delta_{b}}{1 - \beta} \sum_{i \in j} MV\right)} \frac{\sum_{i \in j} TV}{\sum_{i \in j} TV} = \frac{\left(\frac{1 - \beta(1 - \delta_{b})}{1 - \beta}\right) \frac{\sum_{i \in j} MV}{\sum_{i \in j} TV}}{\beta \gamma \left(1 + \frac{\delta_{b}}{1 - \beta} \sum_{i \in j} \frac{TV}{TV}\right)}$$

Parameter	Description	Value	Source
β	Discounting	0.96	Standard
σ	CRRA	2	Standard
η	Labor Curvature	2	Keane and Rogerson (2012)
$\delta_k$	Depreciation	0.032	McGrattan (2020)
α	Labor Share	0.594	Penn World Table (US, 2018)

Variable	Description	Source
Y	Aggregate GDP	NIPA Table 1.1.6
$Y_j$	MSA GDP	BEA
$\sum_{j} i_{k,j}$	Equipment+IP Investment	NIPA Table 1.1.6
Lj	MSA Labor Supply	ACS
$L_r / \sum_j L_j$	Remote Labor Supply Share	ACS
$w_r L_r / \sum_j w_j L_j$	Remote Wage Bill Share	ACS

#### **GE Model: Identification**

#### Remote Work:

- Allocate labor  $L_r$  based on ACS labor share  $\rho_L = L_r / \sum_i L_j$
- Allocate GDP  $Y_r$  based on ACS wage share  $\rho_W = w_r L_r / \sum_j w_j L_j$
- Scale  $L_j$  and  $Y_j$  in other regions by  $(1 \rho_L), (1 \rho_W)$

#### Factor Shares:

Back out  $\chi$  in non-remote regions by subtracting inferred payments to other factors:

$$\chi_n = \frac{(1-\alpha)\sum_j Y_j - r_k \sum_j i_{k,j} / \delta_k}{\sum_{j \neq r} Y_j} \sim 0.15$$

### **GE Model: Identification**

Supply:

Building supply in each period can be expressed as a supply shifter  $\Psi_j$ :

$$\Psi_{j} = T^{\frac{\gamma}{1-\gamma}} D^{\frac{1}{1-\gamma}} \delta_{b} C_{j}(\beta\gamma)^{\frac{\gamma}{1-\gamma}}$$

Use GE model, not CoreLogic, to back out level of supply shifter Ψ<sub>j</sub> (property taxes, Prop 13 mean CoreLogic building values will be lower than true factor payments)

$$\underbrace{p_{j}^{\frac{1}{1-\gamma}}\Psi_{j}}_{p_{j}B_{j}^{N}}=\frac{\chi_{j}Y_{j}}{1-\beta(1-\delta_{b})}$$

Demand:

Demand for improvements is as follows:

$$q_j m_j = T_j \gamma \beta p_j B_j^N$$

>  $\delta_b$ : Depreciation identified from average age of buildings  $\bar{a}$ :

$$\delta_b = rac{1}{ar{a}}$$

*p<sub>j</sub>*: Normalized to average price per building square foot identified from buildings with BSF:

$$p_j = rac{\sum_{i \in j} BV_i}{\sum_{i \in j} BSF_i}$$

#### First Test: NYC Floor Area Ratios (FAR)

Aggregate  $\tau_i$  into zoning codes z (e.g.  $z \in \{C1, C2, \ldots\}$  in NYC):

$$\tau_z = \frac{\sum_{i \in z} MV_i}{\sum_{i \in z} MV_i / \tau_i}$$

- Test theory by comparing floor area ratios (log  $FAR_z$ ) vs. our model distortion log  $\tau_z$
- Expectation: higher (less-regulating) FAR should have higher (less-regulating) au
- Result: positive correlation between statutory and model-based regulation Regression

# FAR Regression

	(1)			
Variables	$\log \tau_z$			
$\log FAR_z$	0.0341***			
-	(1.19e-07)			
	× ,			
$R^2$	0.365			
N	104			
Standard errors in parentheses				
*** p<0.01, ** p<0.05, * p<0.1				
Weighted by Building Value				

Back to Validation

# NYC: Log Model Distortion $\tau_z$ vs Log Statutory FAR



## DC: Log Model Distortion $\tau_z$ vs Log Statutory Height Limits



- Second Test: Maps and Time Series
  - Does T<sub>i</sub> align with our priors about which cities are more regulated?
  - Expectation: cities in California should be highly regulated; cities in Texas should be less so
    - e.g. Houston, TX has no "zoning"

...but still has other deed restrictions, historic districts, ordinances that limit building development

Result: Houston and Dallas less regulated than SF and LA

## Time Series of Aggregate Distortion $T_i$ in Major MSAs





- Third Test: Business Districts
  - Plot  $\tau_z$  in two well-known regions: San Francisco, Manhattan
  - Litmus test/prior expectation: Center business districts should be less regulated
  - Result: Parcels in business districts generally have higher τ<sub>z</sub>

## San Francisco Distortions

#### Model distortion





- 100 10%
- Bottom 10%

#### SF Height Limit Zoning Map, 2021



# **Manhattan Distortions**



 $\tau_z$ 

- Top 10%
- Bottom 10%

# Equilibrium

An equilibrium in this economy is:

- Prices  $\{\{r_{b,j,t}, w_{j,t}\}_{j\in J}, r_{k,t}\}_{t=0}^{\infty}$
- ► Quantities  $\{\{Y_{j,t}, K_{j,t}, L_{j,t}, B_{j,t}, i_{k,j,t} \{m_{i,t}, B_{i,t}^N\}_{i \in j_{\delta,t}}\}_{j \in J}, c_t\}_{t=0}^{\infty}$
- Decision rules
- Such that:
  - Given prices, the stand-in household maximizes utility
  - Given prices, firms maximize profits
  - Markets clear and the laws of motion and resource constraint hold:

$$B_{j,t+1} = (1 - \delta_b) B_{j,t} + \sum_{i \in j_{\delta,t}} B_{i,t}^N$$

$$c_t - \sum_j \left( i_{k,j,t} + \sum_{i \in j_{\delta,t}} q_i m_{j,t} \right) = \sum_j Y_j$$







Where:



$$\max_{m_j} \beta T_j p_j \underbrace{\frac{D_j (\delta_b C_j)^{1-\gamma} m_j^{\gamma}}{B_j^N}}_{B_j^N} - \underbrace{m_j}_{MV_j}$$

► Where:

(Parcel Efficiency) 
$$C_i = z_i^{\frac{1}{1-\gamma}} x_i q_i^{\frac{\gamma}{1-\gamma}} \propto M V_i / \tau_i^{\frac{1}{1-\gamma}}$$



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(Aggregate Efficiency )  $C_j = \sum_{i \in j} C_i$ 



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(Dispersion)  $D_j = \left(\frac{\sum_{i \in j} \tau_i^{\frac{\gamma}{1-\gamma}} C_i}{\sum_{i \in j} C_i}\right) / \left(\frac{\sum_{i \in j} \tau_i^{\frac{1}{1-\gamma}} C_i}{\sum_{i \in j} C_i}\right)^{\gamma}$ 



$$\max_{m_j} \beta T_j p_j \underbrace{\frac{D_j (\delta_b C_j)^{1-\gamma} m_j^{\gamma}}{B_j^N}}_{B_j^N} - \underbrace{m_j}_{MV_j}$$

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(Aggregate Distortion)  $T_j = \sum_{i \in j} \tau_i^{\frac{1}{1-\gamma}} C_i / \sum_{i \in j} \tau_i^{\frac{\gamma}{1-\gamma}} C_i$ 

## Identifying Improvement Share $\gamma$ and Distortions $\tau_i$

- Deregulated benchmark: Midland, TX (oil producing MSA)
- Implied improvement share  $\gamma \sim 0.92$ , i.e. near linear
- Arguments for near-linear production function:
  - Glaeser, Gyourko, and Saks (2005): average cost per BSF very flat for different building sizes
  - Intuition: can always add more floors
- With  $\gamma$  identified, can recover  $\tau_i$  at parcel level:

$$au_i = rac{ig(rac{1-eta(1-\delta_b)}{1-eta}ig)rac{MV_i}{TV_i}}{\gammaig(eta+rac{\delta_beta}{1-eta}rac{MV_i}{TV_i}ig)}$$

#### Internal IV

- Re-solve model setting TFP and amenities equal in all regions
- Use counterfactual congestion  $\widehat{L/X}$  as IV for real congestion
- Recover impact of congestion on amenities
- Results:

$$\log a_{j} = \underbrace{\mu}_{\substack{-0.53^{***} \\ [0.07]}} \log(L_{j}/X_{j}) + e_{j}$$
(1)

# Baseline: Change in Labor $L_j$ Relative to Initial SS





Losers are already-deregulated Texas and South; Winners are highly regulated coast

# **Exogenous Amenities**



As congestion worsens in some cities, it improves in others

### **Commercial Developers**

- Owns plot of land *i* with square footage  $x_i$ , zoning distortion  $\tau_i$ 
  - ▶  $\tau_i = 1$  means no regulation,  $\tau_i = 0$  means construction ban
- Construction:
  - Buy improvements (concrete, glass, labor) m<sub>i</sub> at price q<sub>i</sub>
  - Combine w/ land to make building square footage BSF
  - Sell at price per square foot p<sub>i</sub>

Developer's problem: 
$$\max_{m_i} \tau_i p_i \underbrace{m_i^{\gamma} x_i^{1-\gamma}}_{BSF_i} -$$

Developers' profits:  $\pi = 1 p_i m_i^{\gamma} x_i^{1-\gamma} - q_i r_i^{\gamma}$ 

 $\succ$   $\tau_i$  only distorts FOC (e.g. height limit  $\bar{B}$  alters investment, but creates no revenue)

 $q_i m_i$  $MV_i$