# The Impact of Commercial Real Estate Regulations on U.S. Output 

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## How do commercial land use regulations affect output and welfare?

- Motivation.
- Several studies of US residential land use regulations find substantial effects on U.S. economy (Herkenhoff Ohanian Prescott 2018, Hsieh Moretti 2019)
- Commercial regulation is conceptually similar, yet little known about impact on U.S. economy
- Challenge is commercial regulation is multi-dimensional, local \& allows exemptions
- Infeasible to consistently codify across cities or measure bite without model


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- Challenge is commercial regulation is multi-dimensional, local \& allows exemptions
- Infeasible to consistently codify across cities or measure bite without model
- This paper.
- Quantify effects of commercial regulation using CoreLogic's address-level tax valuations
- Develop GE model with commercial construction sector to estimate address-level regulatory distortion for all U.S. buildings


## How do commercial land use regulations affect output and welfare?

- Economic logic.
- When land is costly, substitute towards construction (build taller)
- Model infers regulatory distortion whenever valuable land has small building
- We show model distortions correlate strongly with hand-collected zoning features


## How do commercial land use regulations affect output and welfare?

- Economic logic.
- When land is costly, substitute towards construction (build taller)
- Model infers regulatory distortion whenever valuable land has small building
- We show model distortions correlate strongly with hand-collected zoning features
- Results.
- Moving all cities to least strict regulations in US yields 3\% GDP \& 1.5\% CEV gain
- Highly regulated CA cities (LA, SF) benefit vs. less regulated TX cities (Dallas, Houston)
- Still large gains with $40 \%$ remote work share \& doubling negative congestion externality


## General equilibrium model

- One-sector optimal growth model w/ regions (j) \& commercial buildings in production
- Regions are MSAs that differ by TFP and amenities with negative congestion externality
- One region is remote work sector which does not use buildings in production


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$$
\begin{aligned}
\text { Household: } & \max _{c_{t}, i_{t}, K_{j, t}, L_{j, t}} \sum_{t=0}^{\infty} \beta^{t}\left(\frac{c_{t}^{1-\sigma}}{1-\sigma}-\frac{1}{1+\frac{1}{\eta}} \sum_{j=1}^{N}\left(\frac{L_{j, t}}{a_{j}\left(L_{j, t} / X_{j}\right)}\right)^{1+\frac{1}{\eta}}\right) \\
& \text { s.t. } \quad c_{t}+i_{t}=\sum_{j}\left(\pi_{j, b, t}+\pi_{j, f, t}+w_{j, t} L_{j, t}+r_{k, t} K_{j, t}\right)
\end{aligned}
$$

$\operatorname{Firm} j: \max _{K_{j, t}, L_{j, t}, B_{j, t}} A_{j} L_{j, t}^{\alpha} B_{j, t}^{\chi_{j}} K_{j, t}^{1-\alpha-\chi_{j}}-w_{j, t} L_{j, t}-r_{k, t} K_{j, t}-r_{b, j, t} B_{j, t}$
Developer $j: \quad \max _{m_{j, t}} p_{j, t} \cdot T_{j, t} \cdot B_{j, t}\left(D_{j, t}, m_{j, t}\right)-m_{j, t}$

## Modeling Commercial Building Regulation

- Developer's problem.

Developer owns commercial property $i$ defined by
$x_{i}$ : Land square-footage
$p_{i}$ : Price per-building-square-foot
$q_{i}$ : Cost of construction ("improvements") $m_{i}$
$\tau_{i}$ : Regulatory distortion ("virtual" wedge - distorts choices but no resource transfer, height limit)

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- No regulation: use land \& improvements $m_{i}$ to create building square footage $\left(B S F_{i}\right)$

$$
\max _{m_{i}} p_{i} \underbrace{m_{i}^{\gamma} x_{i}^{1-\gamma}}_{B S F_{i}}-q_{i} m_{i}
$$

FOC implies $\gamma=\frac{q_{i} m_{i}}{p_{i} B S F_{i}}$ (marginal benefit=marginal cost)
Regulatory limits imply marginal benefit > marginal cost, attribute gap to regulations $\tau_{i}$

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- Example of a regulation: floor-area ratio limit

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& \max _{m_{i}} p_{i} \underbrace{m_{i}^{\gamma} x_{i}^{1-\gamma}}_{B S F_{i}}-q_{i} m_{i} \\
& \text { such that } \quad \frac{B S F_{i}}{x_{i}} \leq \bar{H}
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$$

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- Example of a regulation: floor-area ratio limit
$\max _{m_{i}} \tau_{i} p_{i} \underbrace{m_{i}^{\gamma} x_{i}^{1-\gamma}}_{B S F_{i}}-\underbrace{q_{i} m_{i}}_{M v_{i}}$,
e.g. Floor Area Ratio: $\tau_{i}= \begin{cases}1 & \text { if } \frac{B S F_{i}}{x_{i}} \leq \bar{H} \\ 0 & \text { otherwise }\end{cases}$
- Assumption: $\tau_{i}$ is address-level constant, to capture multi-faceted zoning


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- Regulation: $\tau_{i}=1$ is unregulated, $\tau_{i}=0$ is construction ban

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- FOC implies $\tau_{i} \gamma=\frac{q_{i} m_{i}}{p_{i} B S F_{i}}$
- Note $\tau_{i}$ distorts $m_{i}^{*}$ but doesn't enter profit (e.g. zoning): $\pi=1 \cdot \beta p_{i}\left(m_{i}^{*}\right)^{\gamma} x_{i}^{1-\gamma}-q_{i} m_{i}^{*}$


## Modeling Commercial Building Regulation

Construction ban: $\tau_{i}=0$

Sandhill road


Menlo Park


## Interpretation of regulatory distortion $\tau_{i}$

$$
\text { Developer's problem: } \max _{m_{i}} \tau_{i} p_{i} m_{i}^{\gamma} x_{i}^{1-\gamma}-q_{i} m_{i}
$$

- What $\tau_{i}$ is.

Anything that restricts building size, conditional on factor prices $p_{i}, q_{i}$

- Floor area ratios, setbacks, height limits, environmental review boards
- Non-zoning restrictions: local ordinances, deed restrictions, etc.


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- Floor area ratios, setbacks, height limits, environmental review boards
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- What $\tau_{i}$ is not.

Not anything that enters building prices $p_{i}$ (e.g. local building demand, property taxes)
Not anything that enters construction cost $q_{i}$

- Restrictions on building techniques (Schmitz (2020): prefab)
- Difficulty of building


## Combining Model and Data

- Data.
- Address-level tax assessments compiled by CoreLogic
- Divides total property value into improvements \& land (e.g., using replacement cost of building):

$$
\text { Total Value of Property }(\mathrm{TV})=\underbrace{\text { Improvement Value (MV) }}_{q_{i} m_{i}=\text { cost of structures }} \text { +Land Value (LV) }
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Total Value of Property (TV) $=\underbrace{\text { Improvement Value (MV) }}_{q_{i} m_{i}=\text { cost of structures }}$ +Land Value (LV)

- Identifying $\tau$ using CoreLogic Data:
- Model's closed-form solution for regulatory distortion $\left(\tau_{i}\right)$ depends on improvement share $\frac{M V}{T V}$ :

$$
\tau_{i}=F\left(\frac{M V_{i}}{T V_{i}}\right), \quad F^{\prime}(\cdot)>0
$$

- Low improvement share implies low $\tau_{i}$, more distorted
(e.g. small building on valuable land $\rightarrow$ strict regulation)


## Identification of $\tau_{i}$

- Regulatory distortion $\left(\tau_{i}\right)$ is increasing in improvement share $\frac{M V_{i}}{T V_{i}}$ :

$$
\tau_{i}=\frac{\left(\frac{1-\beta\left(1-\delta_{b}\right)}{1-\beta} \frac{M V_{i}}{T V_{i}}\right)}{\gamma \beta\left(1+\frac{\delta_{b}}{1-\beta} \frac{M V_{i}}{T V_{i}}\right)}
$$

- Low improvement share implies low $\tau_{i}$, more distorted
- For example, a small building on valuable land $\rightarrow$ strict regulation


## Empirically Validating Model Distortions

- Key zoning code features.
- Two prominent components of zoning codes include
- Height limits: caps building height
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- Key zoning code features.
- Two prominent components of zoning codes include
- Height limits: caps building height
- Floor-area-ratio limits: caps building size relative to land size
- Comparing model distortion $(\tau)$ to data.
- Hand-collect height limits and floor-area-ratios for several cities and compare to $\tau$
- If these regulations are important, expect positive but imperfect correlation with $\tau$
- Model $\tau$ includes non-zoning features (deed restrictions), \& zoning exemptions (variances)

Comparing $\tau$ to actual zoning codes

1. Distortions align with hand-collected floor-area-ratios (FARs) in NYC


Comparing $\tau$ to actual zoning codes

1. Distortions align with hand-collected floor-area-ratios (FARs) in NYC
2. And hand-collected height limits in DC


## Aggregation

- Aggregate address-level (i) distortions to city-level (j) for policy reforms
- Aggregation has average $\tau_{i}$ component $\left(T_{j}\right) \&$ dispersion in $\tau_{i}$ component $\left(D_{j}\right)$

$$
\max _{m_{j}} p_{j} \cdot T_{j} \cdot B S F_{j}\left(D_{j}, m_{j}\right)-m_{j}
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$$
T_{j}=\frac{\sum_{i \in j} M V_{i}}{\sum_{i \in j} M V_{i} / \tau_{i}}
$$

- Reflects average city-wide distortion
- Takes value $\bar{\tau}$ if all $\tau_{i}=\bar{\tau}$
- Focus of counterfactuals


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$$

$$
D_{j}=\left(\frac{\sum_{i \in j} M V_{i} / \tau_{i}}{\sum_{i \in j} M V_{i} / \tau_{i}^{\frac{1}{1-\gamma}}}\right) /\left(\frac{\sum_{i \in j} M V_{i}}{\sum_{i \in j} M V_{i} / \tau_{i}^{\frac{1}{1-\gamma}}}\right)^{\gamma}
$$

- Reflects average city-wide distortion
- Takes value $\bar{\tau}$ if all $\tau_{i}=\bar{\tau}$
- Focus of counterfactuals
- Reflects $\tau_{i}$ dispersion within city
- Part regulation, part measurement error
- Hold fixed today [paper alters $D_{j}$ ]


## Which cities are most and least regulated?

- Major California cities (LA, SF) more regulated than Texas (Dallas, Houston)



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- Major California cities (LA, SF) more regulated than Texas (Dallas, Houston)
- Least-regulated city is Midland TX; developers in strict zoned cities build $20 \%$ less, c.p.

|  | Name | $T_{j}$ |
| :--- | :--- | :--- |
|  | Average regulatory distortion | 0.85 |
| Least Regulated City: | Midland, TX ("The Tall City") | 1 (Normalized) |
|  |  |  |
|  | San Diego | 0.79 |
| Major MSAs: | San Jose | 0.80 |
|  | Miami | 0.80 |
|  | New York | 0.86 |
|  | Chicago | 0.88 |
|  | Phoenix | 0.89 |

## Counterfactuals

- Baseline: All distortions $T_{j}$ set to loosest U.S. level (Midland, TX), fix dispersion $D_{j}$
- More buildings drive output gain, \& Developer profits fall suggesting $\tau$ reflects rent-seeking
- Results robust to three available divisions of MV and LV, doubling or removing congestion

| $\% \Delta$ from 2018 steady state | Baseline |
| :--- | :---: |
| Output | $3.0 \%$ |
| Employment | $-0.8 \%$ |
| Building Stock | $17 \%$ |
| Developer Profits | $-2.8 \%$ |
| Output, holding building allocation fixed | $0.2 \%$ |
| Consumption Equivalent Gain | $1.6 \%$ |

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- 40\% remote work: Output gains scale down linearly with remote work

| $\% \Delta$ from 2018 steady state | Baseline | Remote Work |
| :--- | :---: | :---: |
| Output | $3.0 \%$ | $1.5 \%$ |
| Employment | $-0.8 \%$ | $-0.8 \%$ |
| Building Stock | $17 \%$ | $19 \%$ |
| Developer Profits | $-2.8 \%$ | $-1.1 \%$ |
| Output, holding building allocation fixed | $0.2 \%$ | $-0.4 \%$ |
| Consumption Equivalent Gain | $1.6 \%$ | $0.8 \%$ |

## Counterfactuals

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- More buildings drive output gain, \& Developer profits fall suggesting $\tau$ reflects rent-seeking
- Results robust to three available divisions of MV and LV, doubling or removing congestion
- 40\% remote work: Output gains scale down linearly with remote work
- Only use young buildings $\leq 10$ years old: similar gains, avoids outdated regulations

| $\% \Delta$ from 2018 steady state | Baseline | Remote Work | New Buildings |
| :--- | :---: | :---: | :---: |
| Output | $3.0 \%$ | $1.5 \%$ | $1.4 \%$ |
| Employment | $-0.8 \%$ | $-0.8 \%$ | $-0.3 \%$ |
| Building Stock | $17 \%$ | $19 \%$ | $8.4 \%$ |
| Developer Profits | $-2.8 \%$ | $-1.1 \%$ | $-1.5 \%$ |
| Output, holding building allocation fixed | $0.2 \%$ | $-0.4 \%$ | $0.1 \%$ |
| Consumption Equivalent Gain | $1.6 \%$ | $0.8 \%$ | $0.8 \%$ |

## Baseline deregulation: Change in labor relative to 2018 steady state


\% Change

| $\square-0.0$ to 1.0 |
| :--- |
| $\square-1.0$ to -0.0 |
| $\square-1.6$ to -1.0 |
| $\square-2.7$ to -1.6 |
| $\square$ |

- People leave already-deregulated Texas and South
- Largest population gain in major metro (LA) $<2.5 \%$


## Local Deregulation: Relax Floor Area Ratio (FAR) in NYC

- Project model distortions onto actual floor area ratios (FAR): $\log \tau_{z}=\rho \log \left(F A R_{z}\right)+\epsilon_{z}$


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$\tau_{z} \quad$ Least regulated
- Most regulated


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$$
\begin{aligned}
& \Delta Y_{N Y C}=+1.8 \% \\
& \Delta B_{N Y C}=+6.1 \%
\end{aligned}
$$

## Conclusion

Contributions:

- Develop spatial model of commercial land use regulations
- Identify distortions for each commercial property
- Validate against hand-collected zoning code features
- Moving all cities to least stringent regulations in U.S. yields large welfare/output gains In progress:
- Quantifying impact of regulations on low income households and homelessness

Thank you!

## Parcel i Developer's Problem

- Parcel $i$ defined by
$x_{i}$ : Land square-footage
$p_{i}$ : Price per building square-foot (e.g. distance to interstate)
$q_{i}$ : Improvement cost (e.g. bedrock vs. mud)
$\tau_{i}$ : Regulatory distortion (virtual wedge $\rightarrow$ does not result in payment/transfer of resources)
- Rent building, buildings depreciate fully at rate $\delta_{b}$ ("one-hoss-shay")
- If building depreciates, rebuild by investing in improvements $m_{i, t}$ subject to zoning $\tau_{i}$ :

e.g. FAR: $\tau_{i}=\left\{\begin{array}{ll}1 & \text { if } B S F_{i} / x_{i} \leq \bar{H} \\ 0 & \text { otherwise }\end{array} \rightarrow \tau_{i}\right.$ parcel-level constant to capture multi-faceted zoning
$-\tau_{i}$ distorts $m_{i}^{*}$, but no $\tau_{i}$ in profits: $1 \cdot \beta p_{i} m_{i}^{* \gamma} x_{i}^{1-\gamma}-q_{i} m_{i}^{*} \quad[\approx$ Lagrange multiplier]


## CoreLogic Dataset

- Overview
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- Address-level (Parcel-level) commercial tax assessor data, 2009-2018
- Parcel $i$ data includes:
- 3 divisions of total value into improvements (cost of materials/labor) \& land

Total Value of Property $\left(T V_{i}\right)=$ Improvement Value $\left(M V_{i}\right)+$ Land Value $\left(L V_{i}\right)$

- Land square footage $x_{i}$
- Alphanumeric zoning codes ("C8", "M5") that reflect local regulations
- Building square footage $B S F_{i}$ for subset of properties \& age $a_{i}$


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- Land square footage $x_{i}$
- Alphanumeric zoning codes ("C8", "M5") that reflect local regulations
- Building square footage $B S F_{i}$ for subset of properties \& age $a_{i}$
- Challenge
- Map local regulations into quantitative measure of distortions
- Our approach: write down builder's problem for parcel $i$ to structurally identify distortions
- Model regulatory distortions as a wedge in the builder's problem


## Robustness

- We crucially rely on Corelogic's split of property value into land and improvements:

$$
\text { TotalValue }(T V)=\text { LandValue }(L V)+\text { ImprovementValue }(I V)
$$

- Our dataset includes 3 methods: assessed, market, CoreLogic calculated
- Each valuation relies on different methods
- Replacement cost method often used to value structures
- Land values based on vacant lots of redevelopments
- Our baseline output gain under each of these three methods are remarkably similar

| Valuation method: | Assessed | Market | CoreLogic Calculated <br> (Benchmark) |
| :--- | :--- | :--- | :--- |
| Output gain from <br> Midland, TX zoning | $+2.9 \%$ | $+3.2 \%$ | $+3.0 \%$ |

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- Developer's problem.

Developer owns commercial property $i$ in region (city) $j$ defined by
$x_{i}$ : Land square-footage
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- "One-hoss shay" depreciation rate $\delta_{b}$, developer then uses $m_{i}$ to build new structure


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$$

- $\tau_{i}$ is wedge between unconstrained marginal product of improvements $m_{i}$ \& marginal cost
- FOC implies $\tau_{i}=\frac{q_{i} m_{i}}{\gamma \beta p_{j} z_{i} B S F_{i}}$


## Interpretation of regulatory distortion $\tau_{i}$

Developer's problem: $\max _{m_{i}} \tau_{i} \beta p_{j} z_{i} \underbrace{m_{i}^{\gamma} x_{i}^{1-\gamma}}_{B S F_{i}}-q_{i} m_{i}$

- What $\tau_{i}$ is.

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- Difficulty of building


## Identification of $\tau_{i}$

Developer's problem: $\max _{m_{i}} \tau_{i} \beta p_{j} z_{i} \underbrace{m_{i}^{\gamma} x_{i}^{1-\gamma}}_{B S F_{i}}-q_{i} m_{i} \rightarrow$ FOC: $\tau_{i}=\frac{q_{i} m_{i}}{\gamma \beta p_{j} z_{i} B S F_{i}}$

- Numerator of $\tau_{i}$ is improvement value (cost of structures), $M V_{i}=q_{i} m_{i}$, observed in CL
- Challenge is building square feet $\left(B S F_{i}\right)$ not observed for all parcels, $z_{i}$ unobserved


## Identification of $\tau_{i}$

Developer's problem: $\max _{m_{i}} \tau_{i} \beta p_{j} z_{i} \underbrace{m_{i}^{\gamma} x_{i}^{1-\gamma}}_{B S F_{i}}-q_{i} m_{i} \rightarrow$ FOC: $\tau_{i}=\frac{q_{i} m_{i}}{\gamma \beta p_{j} z_{i} B S F_{i}}$

- Numerator of $\tau_{i}$ is improvement value (cost of structures), $M V_{i}=q_{i} m_{i}$, observed in CL
- Challenge is building square feet $\left(B S F_{i}\right)$ not observed for all parcels, $z_{i}$ unobserved
- Proceed by defining denominator of $\tau_{i}$ as building value, $B V_{i}=p_{j} z_{i} B S F_{i}$


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- Proceed by defining denominator of $\tau_{i}$ as building value, $B V_{i}=p_{j} z_{i} B S F_{i}$
- Model then relates $B V_{i}$ to observed total ( $T V_{i}$ ) \& improvement value $\left(M V_{i}\right)$
- This insight allows us to identify $\tau_{i}$ for all buildings in U.S.


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$$

- Solve for building value $B V_{i}=g\left(T V_{i}, M V_{i}\right) \&$ substitute into denominator of $\tau_{i}$
- Closed-form regulatory distortion $\left(\tau_{i}\right)$ depends on improvement share $\frac{M V_{i}}{T V_{i}}$ :

$$
\tau_{i}=F\left(\frac{M V_{i}}{T V_{i}}\right), \quad F^{\prime}(\cdot)>0
$$

## Identification of $\tau_{i}$

- Regulatory distortion $\left(\tau_{i}\right)$ is increasing in improvement share $\frac{M V_{i}}{T V_{i}}$ :

$$
\tau_{i}=\frac{\left(\frac{1-\beta\left(1-\delta_{b}\right)}{1-\beta} \frac{M V_{i}}{T V_{i}}\right)}{\gamma \beta\left(1+\frac{\delta_{b}}{1-\beta} \frac{M V_{i}}{T V_{i}}\right)}
$$

- Low improvement share implies low $\tau_{i}$, more distorted
- For example, a small building on valuable land $\rightarrow$ strict regulation


## Aggregation

- Aggregate address-level (i) distortions to city-level (j) for policy reforms
- Aggregation has average $\tau_{i}$ component $\left(T_{j}\right) \&$ dispersion in $\tau_{i}$ component $\left(D_{j}\right)$

$$
\max _{m_{j}} p_{j} \cdot T_{j} \cdot B S F_{j}\left(D_{j}, m_{j}\right)-m_{j}
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$$
T_{j}=\frac{\sum_{i \in j} M V_{i}}{\sum_{i \in j} M V_{i} / \tau_{i}}
$$

- Reflects average city-wide distortion
- $T_{j}=\bar{\tau}$ if common $\tau_{i}=\bar{\tau}$
- Focus of counterfactuals


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$$
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$$

- Reflects average city-wide distortion
- Reflects $\tau_{i}$ dispersion within city
- $T_{j}=\bar{\tau}$ if common $\tau_{i}=\bar{\tau}$
- Focus of counterfactuals
- Part regulation, part noise
- Hold fixed today [paper alters $D_{j}$ ]


## Identification of production technology $\left(B S F_{i}=m_{i}^{\gamma} x_{i}^{1-\gamma}\right)$

- Challenge: improvement exponent $\gamma$ always multiplies distortion
- At parcel-level, recover product of $\tau_{i} \cdot \gamma$
- At city-level, recover product of $T_{j} \cdot \gamma$


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- High $\gamma$, Cobb-Douglas both in line with building production literature
- Given $\gamma$ recover $\tau_{i}=\frac{M V_{i}}{\gamma \beta B V_{i}}$ at parcel level $\rightarrow$ next, many litmus tests of $\tau_{i} \& T_{j}$


## Sample Selection

- Keep Parcels Where:
- $M V_{i}, T V_{i}$, and $x_{i}$ all recorded
- $M V_{i} / T V_{i} \in(0.01,0.99)$
- Outcome of Filtering:
- End up with parcels worth $72 \%$ of aggregate $T V_{i}$


## What is $\tau$ ?

- Distortion: Anything that causes a landlord to build less than they want to, conditional on factor prices
- Floor Area Ratios
- Setbacks
- Height limits
- Environmental review boards
- Threat of lawsuits
- Regulatory "tax": Any cost that doesn't act as a building improvement
- Payments for local improvements (sewers, schools)
- Litigation


## What is $\tau$ not?

- Prices: Anything that enters $z_{i}$ or $r_{b, j, t}$
- Restrictions on what you can build (factories vs office towers)
- Property taxes
- Costs: Anything that enters $q_{i}$
- Restrictions on building techniques (Schmitz (2020): prefab)
- Difficulty of building (bedrock)


## Household Problem

- Chooses labor $L_{j, t}$ and capital $K_{j, t}$ across cities $j \in J$, capital investment $i_{k, t}$
- Earns wages $w_{j, t}$, rents $r_{k, t}$, and profits from final-good firms $\pi_{j, f, t}$ and landlords $\pi_{j, b, t}$
- Maximizes utility:

$$
\max _{c_{t}, i_{j, j, t}, L_{j, t}} \sum_{t=0}^{\infty} \beta^{t}\left(\frac{c_{t}^{1-\sigma}}{1-\sigma}-\frac{1}{1+\frac{1}{\eta}} \sum_{j}\left(\frac{L_{j, t}}{a_{j}\left(L_{j, t}, X_{j, t}\right)}\right)^{1+\frac{1}{\eta}}\right)
$$

subject to:

$$
\begin{gathered}
c_{t}+i_{k, t}=\sum_{j}\left(\pi_{j, b, t}+\pi_{j, f, t}+w_{j, t} L_{j, t}+r_{k, t} K_{j, t}\right) \\
K_{t+1}=i_{k, t}+\left(1-\delta_{k}\right) K_{t} \\
K_{t}=\sum K_{j, t}
\end{gathered}
$$

## Final Goods

- Combine labor $L_{j}$, buildings $B_{j}$, capital $K_{j}$ at city level to produce final good
- Pay a national rental rate for capital $r_{k}$ and city-specific wages $w_{j}$ and building rents $r_{b, j}$

$$
\pi_{j, f}=\max _{K_{j, t} L_{j, t}, B_{j, t}} \underbrace{A_{j} L_{j, t}^{\alpha} B_{j, t}^{\chi_{j}} K_{j, t}^{1-\alpha-\chi_{j}}}_{Y_{j, t}}-w_{j, t} L_{j, t}-r_{k, j, t} K_{j, t}-r_{b, j, t} B_{j, t}
$$

- Building share $\chi_{j}=0$ in remote work "region" and constant elsewhere


## Identifying Improvement Share $\gamma$ and Zoning Distortions

- CoreLogic: total value $T V_{i}$, improvement value $M V_{i}$, building age $\Rightarrow \delta_{b}$, and $\beta=\frac{1}{1+r}$
- Can recover improvement share $\gamma$ multiplied by zoning distortion $T_{j} \ldots$.
- ... but cannot separate returns to scale $\gamma$ and distortion $T_{j}$ without more assumptions
- Intuition: low $T_{j}$ lowers improvements, pushes $M V / T V$ away from optimum implied by improvement share
- Our approach:
- Treat city with the highest $T_{j} \gamma$ (Midland TX) as a "deregulated benchmark" Dearalis
- Assume undistorted developer's problem in that city, thus $T_{j}=1$
- Recover conservative lower bound for $\gamma$ (i.e. $T_{j}<1$ implies a higher $\gamma$ )
- Identifying Parcel Distortions:
- Can use $T_{j}, \gamma$, and parcel-level $M V, T V$ to get $\tau_{i}$


## Identification of $\gamma$ : Part 1

- Steady state: landlord will expend same MV each time building falls

$$
V_{f}(\tau, z, q, x)=\beta V(B, \tau, z, q, x)-\underbrace{q m}_{M V}
$$

- TV is therefore NPV of payments minus NPV of costs

$$
T V=\frac{r_{b, j} B}{1-\beta}-\frac{\delta_{b} q m}{1-\beta}
$$

- $B V$ is NPV of payments to building before it depreciates:

$$
B V=\frac{r_{b, j} B}{1-\beta\left(1-\delta_{b}\right)}
$$

- MV:

$$
M V=\beta \gamma \tau B V
$$

## Identification of $\gamma$ : Part 2

- Combine to get:

$$
\begin{gathered}
T V=\frac{r_{b, j} B}{1-\beta}-\frac{\delta_{b} M V}{1-\beta} \\
B V=\frac{r_{b, j} B}{1-\beta\left(1-\delta_{b}\right)} \\
T V=\left(\frac{1-\beta\left(1-\delta_{b}\right)-\delta_{b} \beta \gamma \tau}{1-\beta}\right) \frac{M V}{\tau \beta \gamma} \\
\gamma \tau=\frac{\left(\frac{1-\beta\left(1-\delta_{b}\right)}{1-\beta}\right) \frac{M V}{T V}}{\left(\beta+\frac{\delta_{b} \beta}{1-\beta} \frac{M V}{T V}\right)}
\end{gathered}
$$

## Identification of $\gamma$ : Part 3

- Use $C_{i} \propto M V_{i} / \tau_{i}^{\frac{1}{1-\gamma}}$ and get:

$$
\begin{gathered}
T_{j}=\frac{\sum_{i \in j} M V_{i}}{\sum_{i \in j} M V_{i} / \tau_{i}} \\
T_{j}=\frac{\sum_{i \in j} M V_{i}}{\sum_{i \in j} M V_{i} \gamma\left(\beta+\frac{\delta_{b} \beta}{1-\beta} \frac{M V_{i}}{T V_{i}}\right) /\left(\left(\frac{1-\beta\left(1-\delta_{b}\right)}{1-\beta}\right) \frac{M V_{i}}{T V_{i}}\right)} \\
=\frac{\left(\frac{1-\beta\left(1-\delta_{b}\right)}{1-\beta}\right) \sum_{i \in j} M V_{i}}{\beta \gamma\left(\sum_{i \in j} T V_{i}+\frac{\delta_{b}}{1-\beta} \sum_{i \in j} M V_{i}\right)}
\end{gathered}
$$

- Finally:

$$
T_{j}=T_{j} \frac{\sum_{i \in j} T V}{\sum_{i \in j} T V}=\frac{\left(\frac{1-\beta\left(1-\delta_{b}\right)}{1-\beta}\right) \sum_{i \in j} M V}{\beta \gamma\left(\sum_{i \in j} T V+\frac{\delta_{b}}{1-\beta} \sum_{i \in j} M V\right)} \frac{\sum_{i \in j} T V}{\sum_{i \in j} T V}=\frac{\left(\frac{1-\beta\left(1-\delta_{b}\right)}{1-\beta}\right) \frac{\sum_{i \in j} M V}{\sum_{i \in j} T V}}{\beta \gamma\left(1+\frac{\delta_{b}}{1-\beta} \frac{\sum_{i \in j} M V}{\sum_{i \in j} T V}\right)}
$$

## GE Model: Standard Parameters

| Parameter | Description | Value | Source |
| :---: | :---: | :---: | :---: |
| $\beta$ | Discounting | 0.96 | Standard |
| $\sigma$ | CRRA | 2 | Standard |
| $\eta$ | Labor Curvature | 2 | Keane and Rogerson (2012) |
| $\delta_{k}$ | Depreciation | 0.032 | McGrattan (2020) |
| $\alpha$ | Labor Share | 0.594 | Penn World Table (US, 2018) |

## GE Model: Key Variables

| Variable | Description | Source |
| :---: | :---: | :---: |
| $Y$ | Aggregate GDP | NIPA Table 1.1.6 |
| $Y_{j}$ | MSA GDP | BEA |
| $\sum_{j} i_{k, j}$ | Equipment+IP Investment | NIPA Table 1.1.6 |
| $L_{j}$ | MSA Labor Supply | ACS |
| $L_{r} / \sum_{j} L_{j}$ | Remote Labor Supply Share | ACS |
| $w_{r} L_{r} / \sum_{j} w_{j} L_{j}$ | Remote Wage Bill Share | ACS |

## GE Model: Identification

- Remote Work:
- Allocate labor $L_{r}$ based on ACS labor share $\rho_{L}=L_{r} / \sum_{j} L_{j}$
- Allocate GDP $Y_{r}$ based on ACS wage share $\rho_{W}=w_{r} L_{r} / \sum_{j} w_{j} L_{j}$
- Scale $L_{j}$ and $Y_{j}$ in other regions by $\left(1-\rho_{L}\right),\left(1-\rho_{W}\right)$
- Factor Shares:
- Back out $\chi$ in non-remote regions by subtracting inferred payments to other factors:

$$
\chi_{n}=\frac{(1-\alpha) \sum_{j} Y_{j}-r_{k} \sum_{j} i_{k, j} / \delta_{k}}{\sum_{j \neq r} Y_{j}} \sim 0.15
$$

## GE Model: Identification

- Supply:
- Building supply in each period can be expressed as a supply shifter $\Psi_{j}$ :

$$
\Psi_{j}=T^{\frac{\gamma}{1-\gamma}} D^{\frac{1}{1-\gamma}} \delta_{b} C_{j}(\beta \gamma)^{\frac{\gamma}{1-\gamma}}
$$

- Use GE model, not CoreLogic, to back out level of supply shifter $\Psi_{j}$ (property taxes, Prop 13 mean CoreLogic building values will be lower than true factor payments)

$$
\underbrace{p_{j}^{\frac{1}{1-\gamma}} \Psi_{j}}_{p_{j} B_{j}^{N}}=\frac{\chi_{j} Y_{j}}{1-\beta\left(1-\delta_{b}\right)}
$$

- Demand:
- Demand for improvements is as follows:

$$
q_{j} m_{j}=T_{j} \gamma \beta p_{j} B_{j}^{N}
$$

## Identifying Building Parameters: $\delta_{b}, p_{j}$

- $\delta_{b}$ : Depreciation identified from average age of buildings $\bar{a}$ :

$$
\delta_{b}=\frac{1}{\bar{a}}
$$

- $p_{j}$ : Normalized to average price per building square foot identified from buildings with BSF:

$$
p_{j}=\frac{\sum_{i \in j} B V_{i}}{\sum_{i \in j} B S F_{i}}
$$

## Validation: NYC FAR

- First Test: NYC Floor Area Ratios (FAR)
- Aggregate $\tau_{i}$ into zoning codes $z$ (e.g. $z \in\{C 1, C 2, \ldots\}$ in NYC):

$$
\tau_{z}=\frac{\sum_{i \in z} M V_{i}}{\sum_{i \in z} M V_{i} / \tau_{i}}
$$

- Test theory by comparing floor area ratios $\left(\log F A R_{z}\right)$ vs. our model distortion $\log \tau_{z}$
- Expectation: higher (less-regulating) FAR should have higher (less-regulating) $\tau$
- Result: positive correlation between statutory and model-based regulation

| Variables | $(1)$ |
| :--- | :---: |
| $\log \tau_{z}$ |  |

## NYC: Log Model Distortion $\tau_{z}$ vs Log Statutory FAR



## DC: Log Model Distortion $\tau_{z}$ vs Log Statutory Height Limits



## Validation: Cities

- Second Test: Maps and Time Series
- Does $T_{j}$ align with our priors about which cities are more regulated?
- Expectation: cities in California should be highly regulated; cities in Texas should be less so
- e.g. Houston, TX has no "zoning"
...but still has other deed restrictions, historic districts, ordinances that limit building development
- Result: Houston and Dallas less regulated than SF and LA


## Time Series of Aggregate Distortion $T_{j}$ in Major MSAs



## Validation: FAR

- Third Test: Business Districts
- Plot $\tau_{z}$ in two well-known regions: San Francisco, Manhattan
- Litmus test/prior expectation: Center business districts should be less regulated
- Result: Parcels in business districts generally have higher $\tau_{z}$


## San Francisco Distortions

Model distortion


Back

SF Height Limit Zoning Map, 2021


## Manhattan Distortions



## Equilibrium

- An equilibrium in this economy is:
- Prices $\left\{\left\{r_{b, j, t}, w_{j, t}\right\}_{j \in J,} r_{k, t}\right\}_{t=0}^{\infty}$
- Quantities $\left\{\left\{Y_{j, t}, K_{j, t}, L_{j, t}, B_{j, t}, i_{k, j, t}\left\{m_{i, t}, B_{i, t}^{N}\right\}_{i \in j_{j, t}}\right\}_{j \in J}, c_{t}\right\}_{t=0}^{\infty}$
- Decision rules
- Such that:
- Given prices, the stand-in household maximizes utility
- Given prices, firms maximize profits
- Markets clear and the laws of motion and resource constraint hold:

$$
\begin{gathered}
B_{j, t+1}=\left(1-\delta_{b}\right) B_{j, t}+\sum_{i \in j_{\delta, t}} B_{i, t}^{N} \\
c_{t}-\sum_{j}\left(i_{k, j, t}+\sum_{i \in j_{\delta, t}} q_{i} m_{j, t}\right)=\sum_{j} Y_{j}
\end{gathered}
$$

## Aggregation Back

- Landlord problems aggregate to a city-level landlord problem:

$$
\max _{m_{j}} \beta T_{j} p_{j} \underbrace{D_{j}\left(\delta_{b} C_{j}\right)^{1-\gamma} m_{j}^{\gamma}}_{B_{j}^{N}}-\underbrace{m_{j}}_{M V_{j}}
$$

- Where:


## Aggregation Back

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$$

- Where:

$$
\text { (Parcel Efficiency) } C_{i}=z_{i}^{\frac{1}{1-\gamma}} x_{i} q_{i}^{\frac{\gamma}{1-\gamma}} \propto M V_{i} / \tau_{i}^{\frac{1}{1-\gamma}}
$$

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\text { (Aggregate Efficiency) } C_{j} & =\sum_{i \in j} C_{i} \\
\text { (Dispersion) } D_{j} & =\left(\frac{\sum_{i \in j} \tau_{i}^{\frac{\gamma}{1-\gamma}} C_{i}}{\sum_{i \in j} C_{i}}\right) /\left(\frac{\sum_{i \in j} \tau_{i}^{\frac{1}{1-\gamma}} C_{i}}{\sum_{i \in j} C_{i}}\right)^{\gamma}
\end{aligned}
$$

## Aggregation

```
Ba+
```

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$$
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\text { (Aggregate Distortion) } T_{j} & =\sum_{i \in j} \tau_{i}^{\frac{1}{1-\gamma}} C_{i} / \sum_{i \in j} \tau_{i}^{\frac{\gamma}{1-\gamma}} C_{i}
\end{aligned}
$$

## Identifying Improvement Share $\gamma$ and Distortions $\tau_{i}$

- Deregulated benchmark: Midland, TX (oil producing MSA)
- Implied improvement share $\gamma \sim 0.92$, i.e. near linear
- Arguments for near-linear production function:
- Glaeser, Gyourko, and Saks (2005): average cost per BSF very flat for different building sizes
- Intuition: can always add more floors
- With $\gamma$ identified, can recover $\tau_{i}$ at parcel level:

$$
\tau_{i}=\frac{\left(\frac{1-\beta\left(1-\delta_{b}\right)}{1-\beta}\right) \frac{M V_{i}}{T V_{i}}}{\gamma\left(\beta+\frac{\delta_{b} \beta}{1-\beta} \frac{M V_{i}}{T V_{i}}\right)}
$$

## Identifying Amenities

- Internal IV
- Re-solve model setting TFP and amenities equal in all regions
- Use counterfactual congestion $\widehat{L / X}$ as IV for real congestion
- Recover impact of congestion on amenities
- Results:

$$
\begin{equation*}
\log a_{j}=\underbrace{\mu}_{\substack{-0.53^{* * *} \\[0.07]}} \log \left(L_{j} / X_{j}\right)+e_{j} \tag{1}
\end{equation*}
$$

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## Baseline: Change in Labor $L_{j}$ Relative to Initial SS



Losers are already-deregulated Texas and South; Winners are highly regulated coast

## Exogenous Amenities



As congestion worsens in some cities, it improves in others

## Commercial Developers

- Owns plot of land $i$ with square footage $x_{i}$, zoning distortion $\tau_{i}$
- $\tau_{i}=1$ means no regulation, $\tau_{i}=0$ means construction ban
- Construction:
- Buy improvements (concrete, glass, labor) $m_{i}$ at price $q_{i}$
- Combine w/ land to make building square footage BSF
- Sell at price per square foot $p_{i}$

Developer's problem: $\max _{m_{i}} \tau_{i} p_{i} \underbrace{m_{i}^{\gamma} x_{i}^{1-\gamma}}_{B S F_{i}}-\underbrace{q_{i} m_{i}}_{M V_{i}}$ Developers' profits: $\quad \pi=1 p_{i} m_{i}^{\gamma} x_{i}^{1-\gamma}-q_{i} r$

- $\tau_{i}$ only distorts FOC (e.g. height limit $\bar{B}$ alters investment, but creates no revenue)

[^0]
[^0]:    Interpreting Distortions

